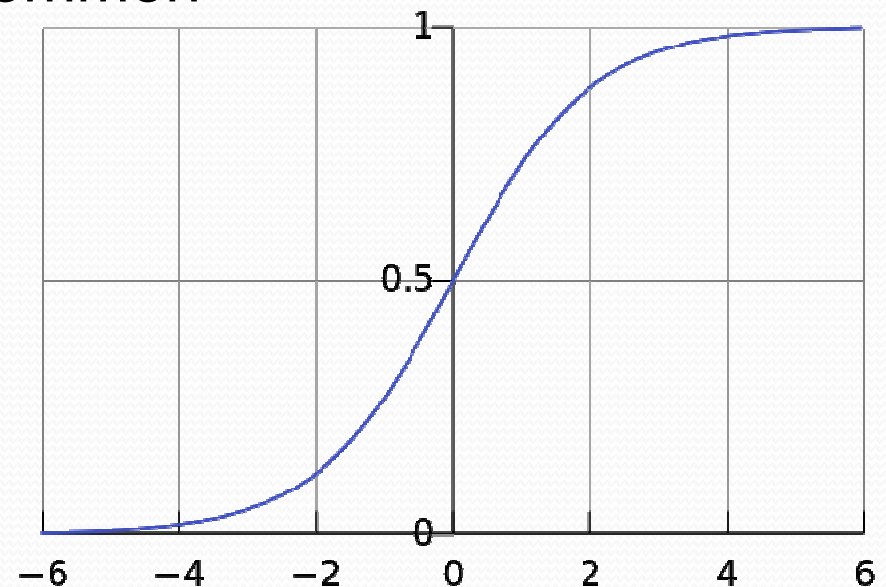
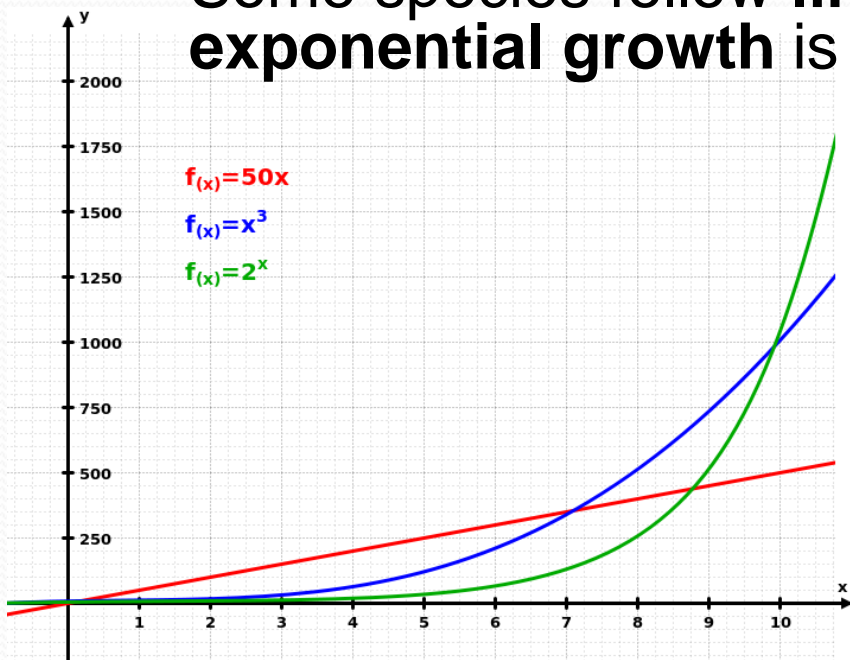


# Refining CBA

Population growth

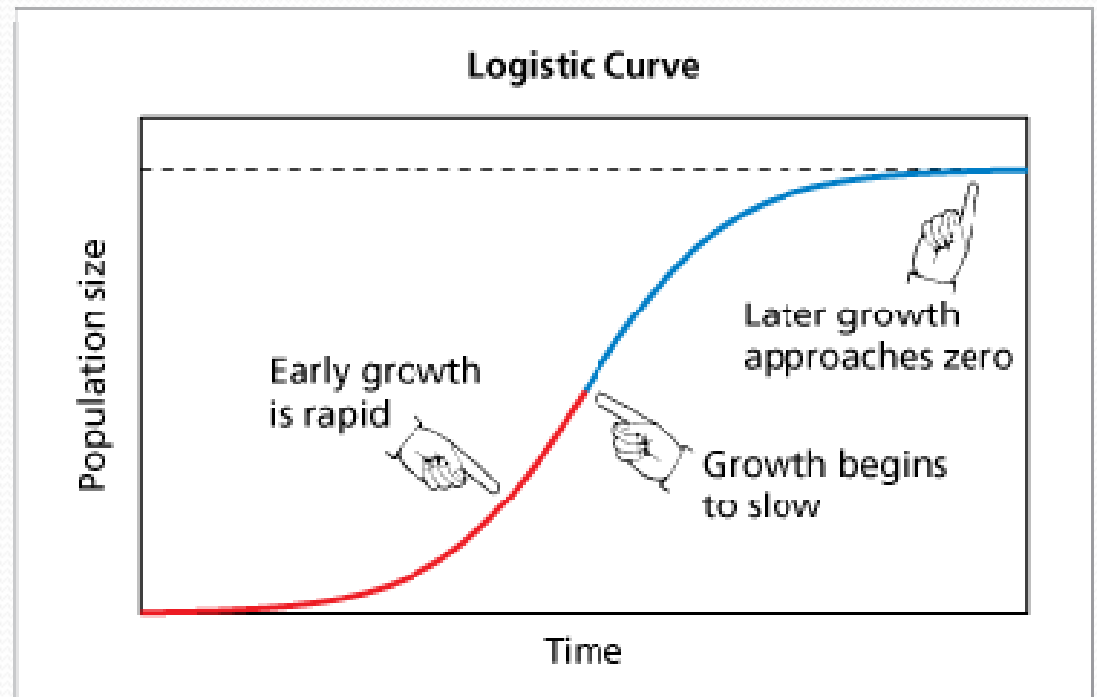
# Population growth

- The damages caused by invasive species are proportional to their population
  - The population of most living organisms follows a **logistic growth curve**
  - Some species follow **linear growth** curves, but **exponential growth** is uncommon



# Population growth

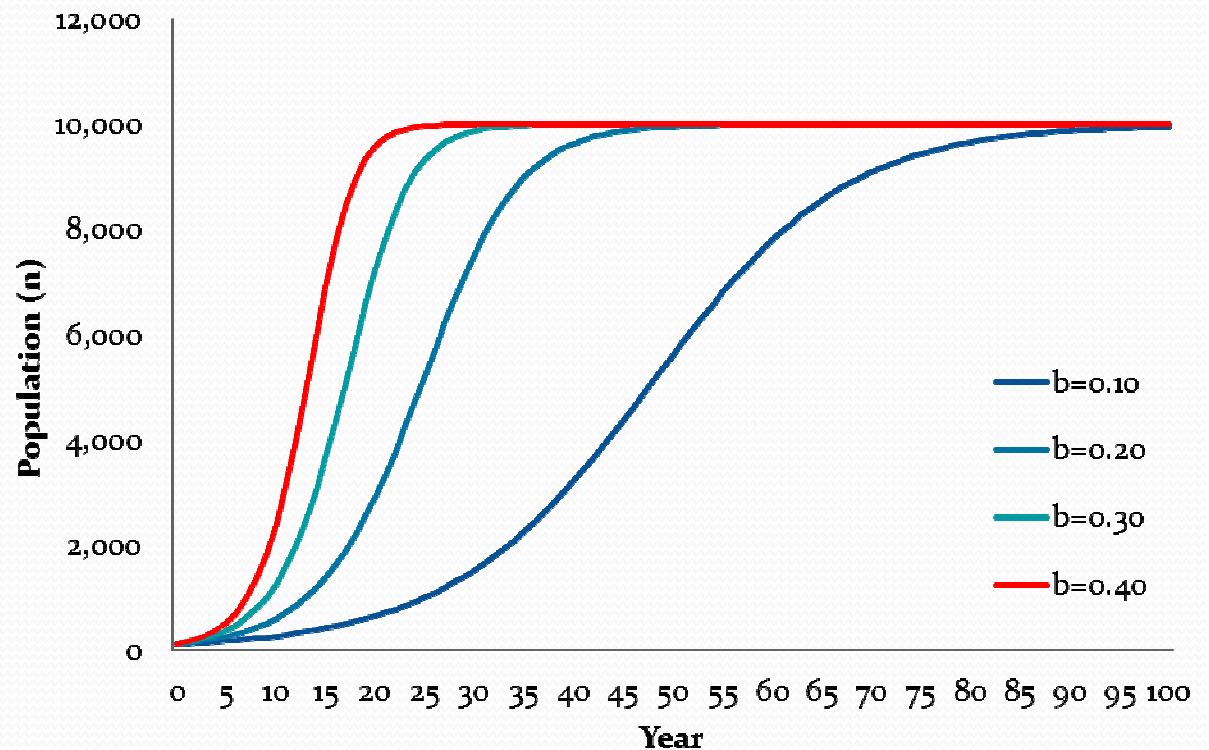
- Logistic growth:  $\frac{dN}{dt} = bN_t \left( 1 - \frac{N_t}{N_{\max}} \right)$
- where  $b$  = the proportional growth of the population,  $N$ , in one year
- $N_t$  = population at time  $t$
- $N_{\max}$  = **carrying capacity** of the population



# Population growth

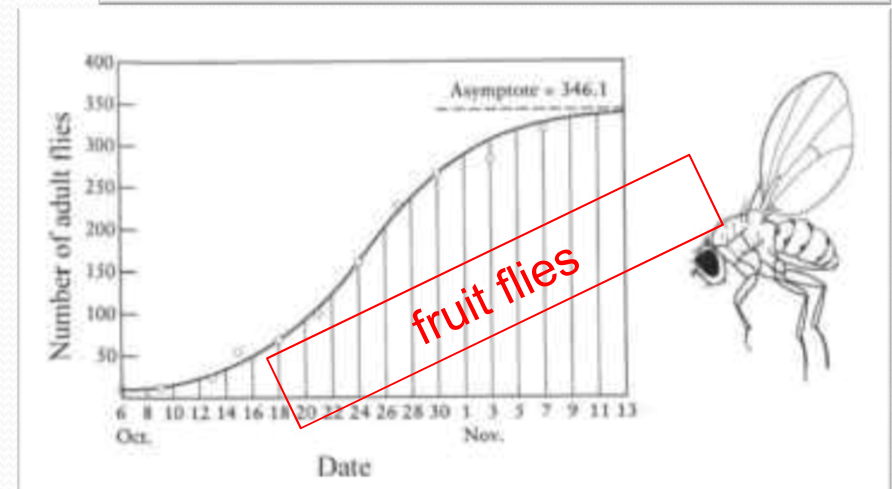
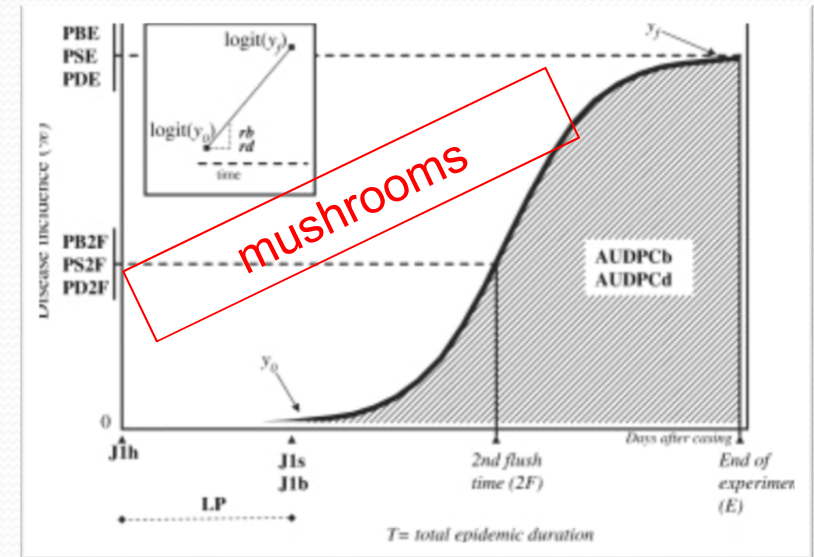
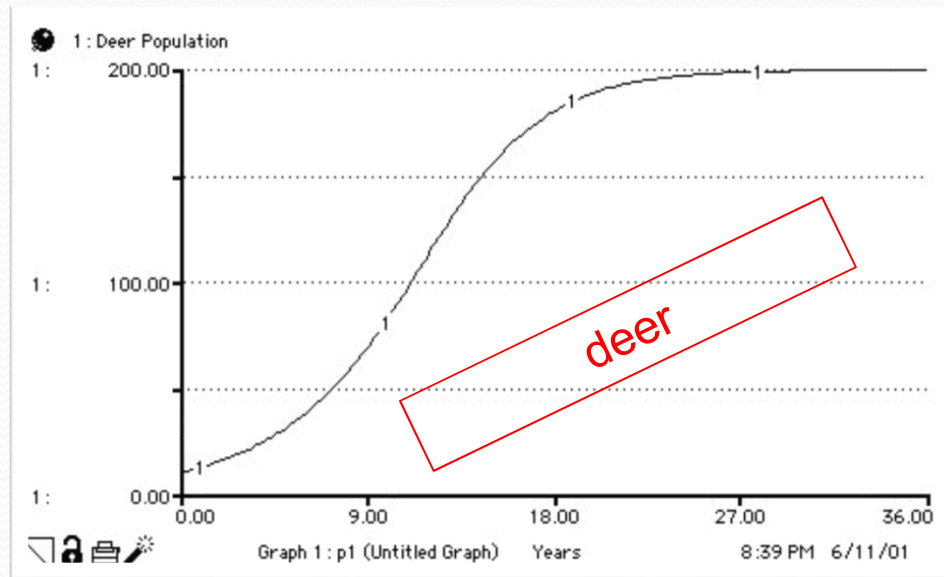
- With the same initial population, as  $b$  increases, the population reaches carrying capacity more quickly

Invasive Population - Logistic Growth Curve

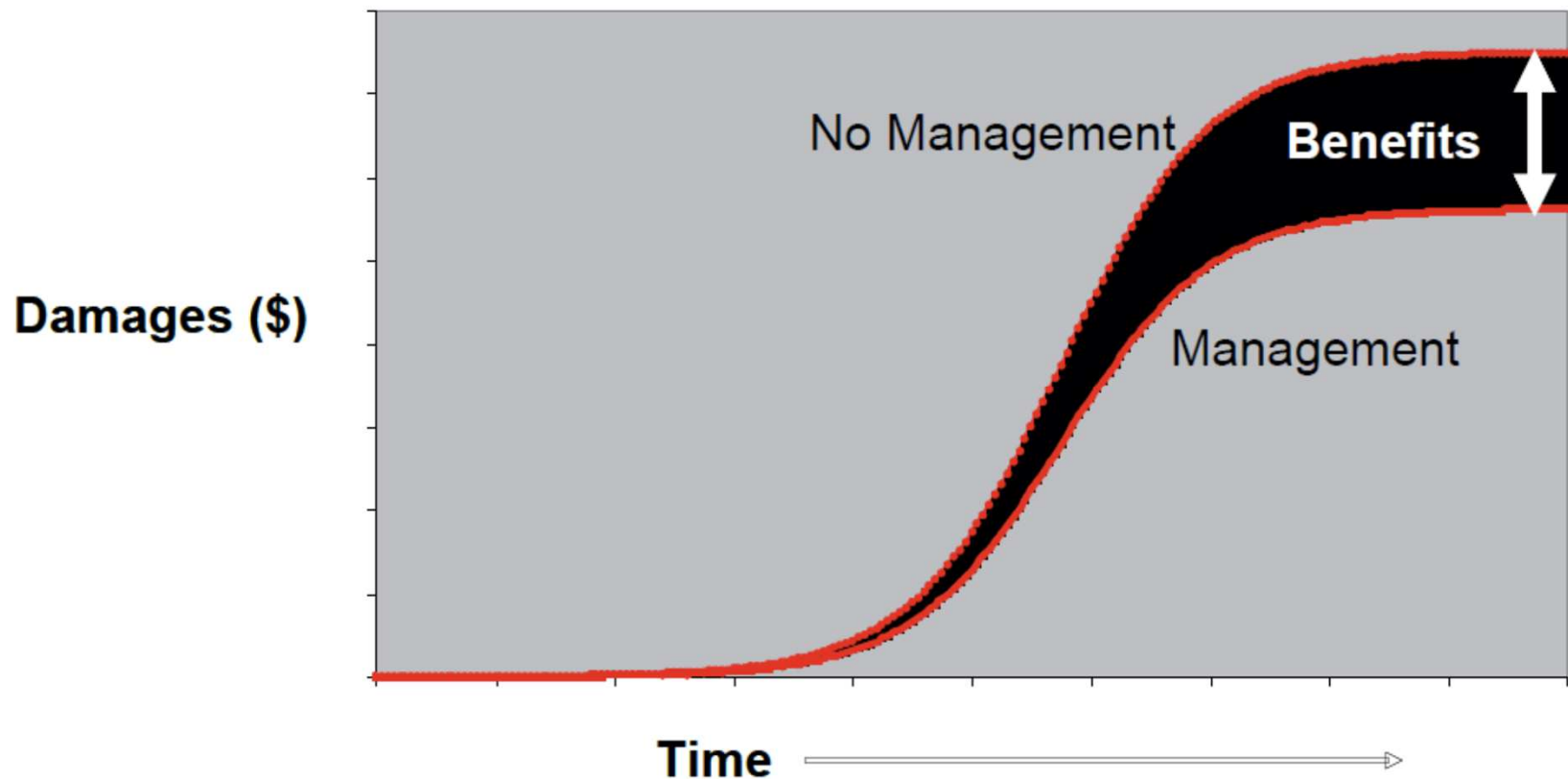


# Population growth

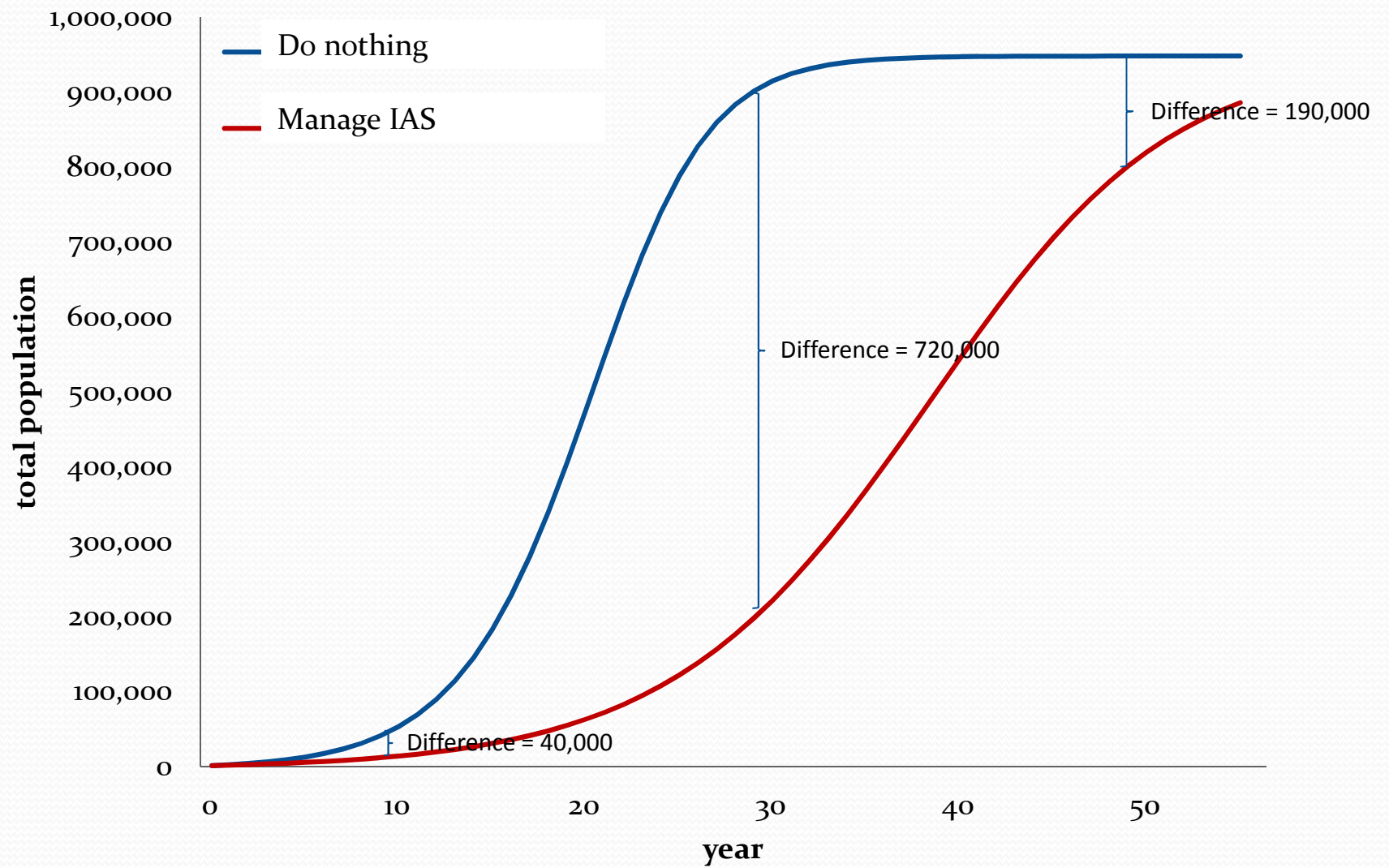
- Most living things follow this pattern



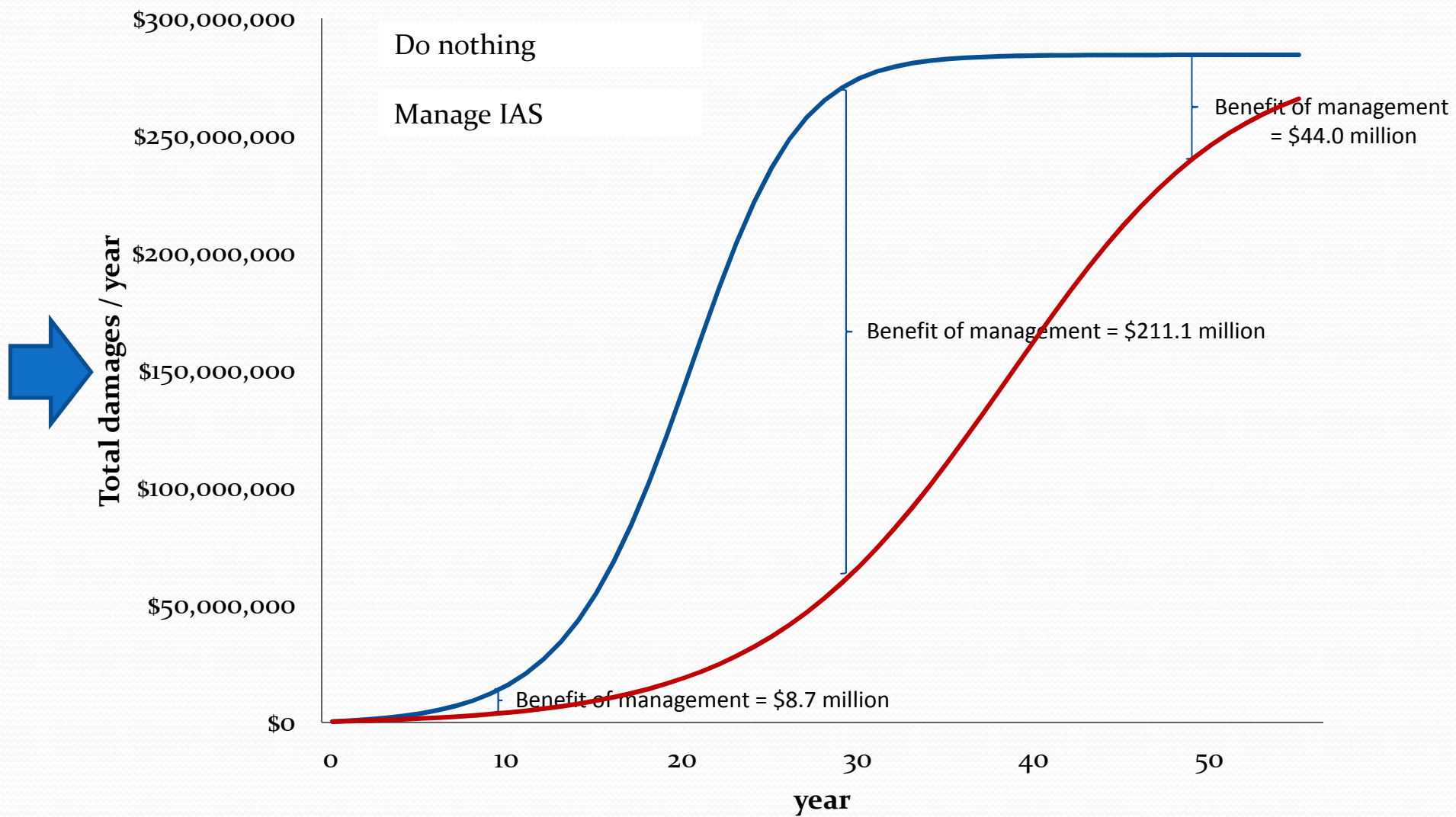
# Estimating avoided damages from changes in the population



## Total Population



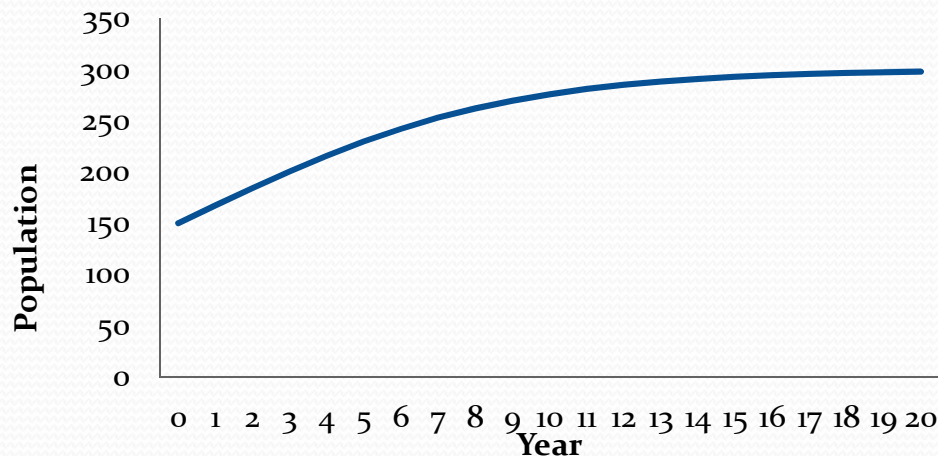
## Total Monetary Damages



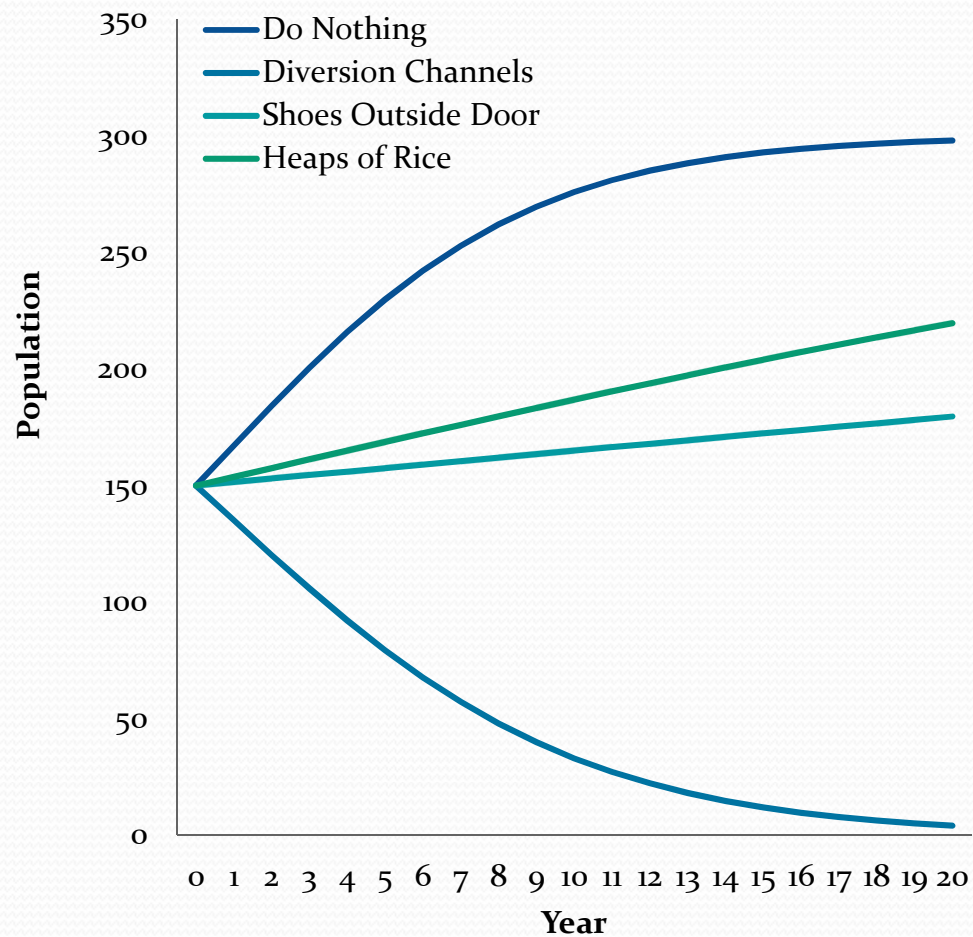
# Population growth of jumbees

$$\frac{dN}{dt} = bN_t \left( 1 - \frac{N_t}{N_{\max}} \right)$$

- Current population ( $N_t$ ) = 150
- Carrying capacity ( $N_{\max}$ ) = 300
- Proportional growth rate ( $b$ ) = 0.23



**Jumbee Population by Management Option**



Option	N_o	b	N_Max
Do Nothing	150	0.23	300
Diversion Channels	150	-0.2	300
Shoes Outside	150	0.02	300
Heaps of Rice	150	0.05	300